

# Nanofiltration of concentrated amino acid solutions

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Membrane Science and Technology Conference of Visegrad  
Countries, 2007

# Outline

- 1 Introduction
  - Motive of the Study
  - Previous Works
  - Objectives
- 2 Experimental
  - Operation in Concentration Mode
  - Effect of pH and Concentration
- 3 Data evaluation
  - Osmotic Pressure Theory and Validation
  - IT model
  - Manipulation of KK equations
  - SK approach
  - Implementation

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## Economic significance:

Estimated world market ( $\gtrsim 1.6 \cdot 10^6$  t/a) doubles every decade [1, 2]

## Use of amino acids:

- Human and animal nutrition
- Pharmaceuticals
- Cosmetics
- Agrochemicals
- Derivates for industrial uses

## Production of amino acids:

- Hydrolysis
- Chemical
- Fermentation
- Enzymatic

## Downstream processing of amino acids:

Potential alternative  $\Rightarrow$  **Nanofiltration**

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## Previous works

### literature on highly diluted systems

- majority of studies
- $\text{pH} = \text{pI} \Rightarrow$  zwitterionic form,  $\text{pH} > \text{pI} \Rightarrow$  anionic form
- $\mathcal{R}_{\text{zwitterions}} < \mathcal{R}_{\text{anions}}$

### literature on concentrated systems

- few studies - limited experimental data
- greater rejection drop over concentration for charged components than for zwitterions
- charge shielding

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# Objectives

## Experimental study on amino acid permeation

- several NF and tight UF membranes
- concentration up to solubility limit
- wide pH range

## Data evaluation

- identify major governing process parameters
- employ suitable model
- provide quantitative separation prediction

# Objectives

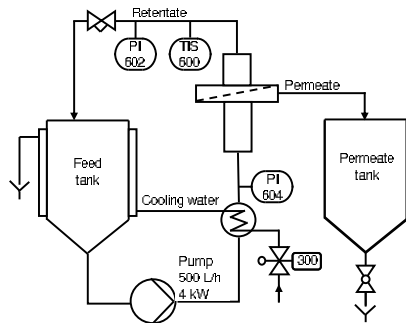
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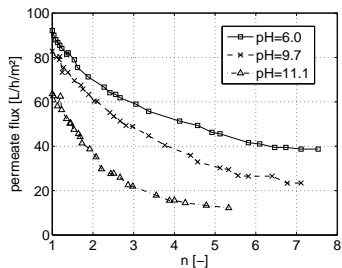
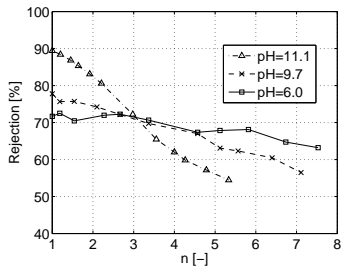
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Concentration of L-alanine solution



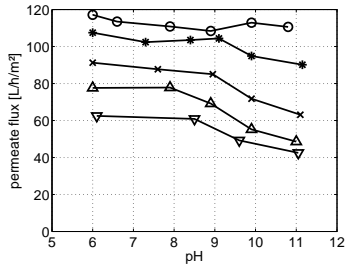
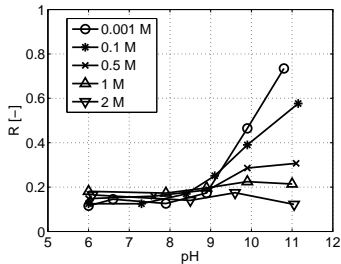
(feed: 0.2 mol/L, concentrate: 0.9 mol/L,  
 DK membrane, 30 bar, 25 °C)



# Experimental results

## Rejection and flux in function of pH and concentration

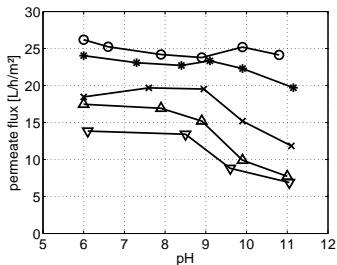
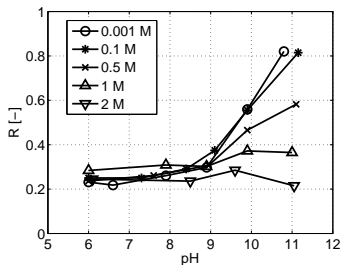
(Glycine, GH, 30 bar, 25 °C)



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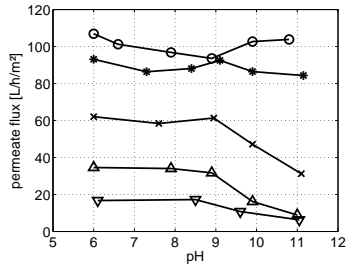
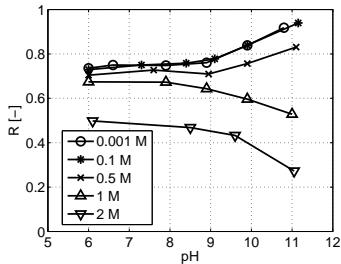
(Glycine, GE, 30 bar, 25 °C)



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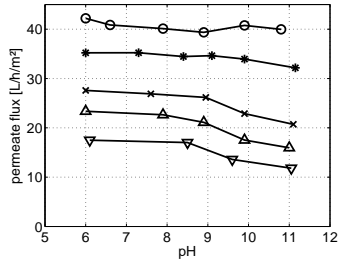
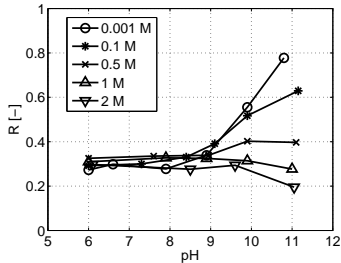
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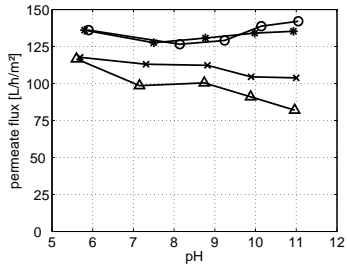
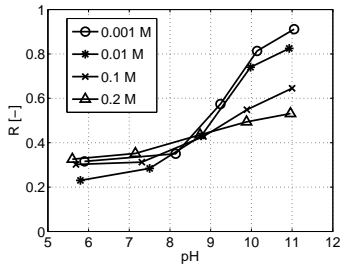
(Glycine, NP030, 30 bar, 25 °C)



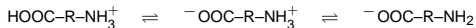
# Experimental results

## Rejection and flux in function of pH and concentration

(L-glutamine, NP010, 30 bar, 25 °C)



## Dissociation of diprotic amino acids



Ionic fractions at given feed pH

$$f_{A^+} = \frac{1}{1 + 10^{\text{pH}-\text{pK}_1} + 10^{2\text{pH}-\text{pK}_1-\text{pK}_2}}, \quad f_{A^-} = \frac{1}{1 + 10^{\text{pK}_2-\text{pH}} + 10^{\text{pK}_1+\text{pK}_2-2\text{pH}}}$$

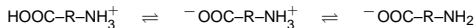
Osmotic pressure by van't Hoff law with altered dissociation factor

$$\pi = iRTc_A, \quad \text{where } i = \frac{f_{A^0} + 2f_{A^+} + 2f_{A^-}}{f_{A^0} + f_{A^+} + f_{A^-}}$$

The pH dependency of osmotic pressure

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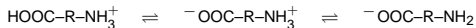
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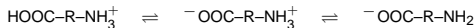
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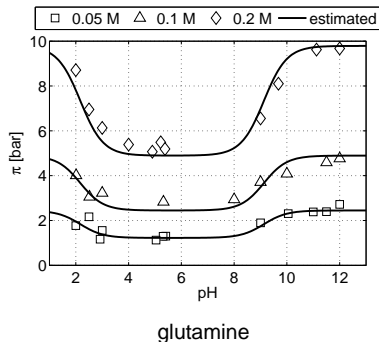
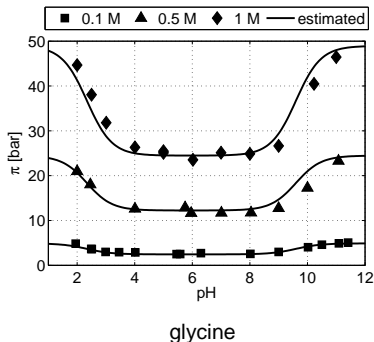
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# Vapor Pressure Osmometry

## Predicted and measured osmotic pressure

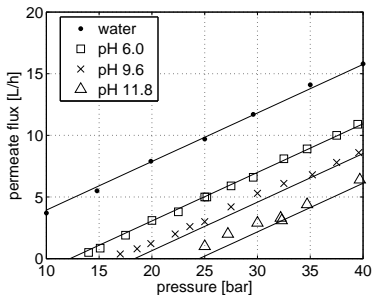
(Knauer K-7000 vapor pressure osmometer, 25 °C)



# RO investigations

## Predicted and measured permeate flux

(SE type RO membrane (GE W&P Technologies), 0.5 mol/L glycine solution,  $R \cong 100\%$ ,  $25^\circ\text{C}$ )



### Calculation method

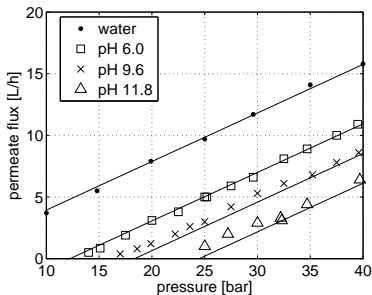
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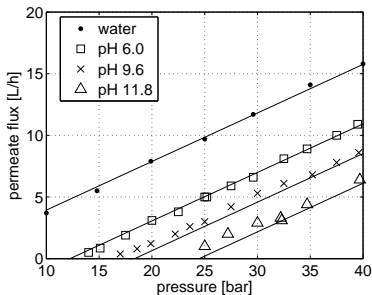
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# Irreversible thermodynamics model

Kedem and Katchalsky equations [3]

$$J_v = L_p(\Delta P - \sigma \Delta \pi),$$

$$j_s = \omega \Delta \pi + (1 - \sigma) J_v \bar{c},$$

<i>Symbol</i>	<i>Name</i>	<i>Unity (S.I.)</i>
$J_v$	<i>total volume flux</i>	<i>m/s</i>
$j_s$	<i>molar solute flux</i>	<i>mol/(m<sup>2</sup> s)</i>
$\Delta P$	<i>transmembrane pressure</i>	<i>Pa</i>
$\Delta \pi$	<i>osmotic pressure difference</i>	<i>Pa</i>
$\bar{c}$	<i>mean concentration across the membrane</i>	<i>mol/m<sup>3</sup></i>
$L_p$	<b>hydraulic permeability</b>	<i>m/Pa</i>
$\sigma$	<b>reflection coefficient</b>	–
$\omega$	<b>solute permeability coefficient</b>	<i>mol/(m<sup>2</sup> s Pa)</i>

# Manipulation of KK equations

$$c_r(1 - \mathcal{R}) - \frac{P_s c_r \mathcal{R}}{L_p \Delta P - L_p \sigma i R T c_r \mathcal{R}} + (1 - \sigma) \bar{c} = 0$$

Theoretical study of pressure dependency by A. Kargol [5].

$$\bar{c} = \frac{c_r - c_p}{2} \quad \rightarrow \text{algebraic solution}$$

Case of logarithmic mean

$$\bar{c} = \frac{c_r - c_p}{\ln c_r - \ln c_p} \quad \rightarrow \text{numerical solution}$$

Numerical computation:

$$\mathcal{R} = f(c_r, \text{pH}, \Delta P) \Big|_{L_p, P_s, \sigma}$$

Estimate rejection by solving the nonlinear equation:

$$c_r(1 - \mathcal{R}) - \frac{P_s c_r \mathcal{R}}{L_p \Delta P - L_p \sigma i R T c_r \mathcal{R}} + (1 - \sigma) \frac{c_r \mathcal{R}}{\ln(1 - \mathcal{R})} = 0$$

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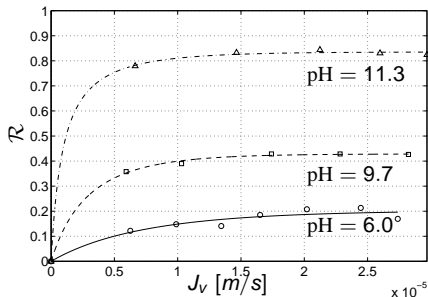
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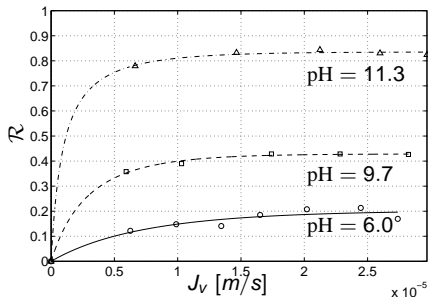
**Figure:** Experimental values and computed fitting models for  $10^{-3}$  mol/L glycine solution at different pH

### Spiegler-Kedem model [4]

$$\mathcal{R} = \frac{\sigma \left( 1 - \exp \left( \frac{\sigma - 1}{P_s} J_v \right) \right)}{1 - \sigma \exp \left( \frac{\sigma - 1}{P_s} J_v \right)}$$

pH	$\sigma$	$P_s$
7.0	0.2032	$6.92 \times 10^{-6}$ m/s
9.7	0.4284	$2.62 \times 10^{-6}$ m/s
11.3	0.8355	$8.90 \times 10^{-7}$ m/s

**Table:** Estimated values of  $\sigma$  and  $P_s$  for glycine at different pH



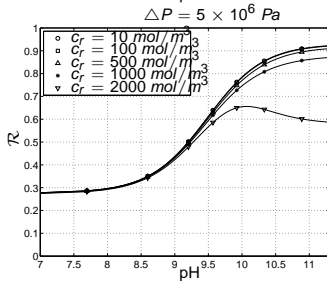
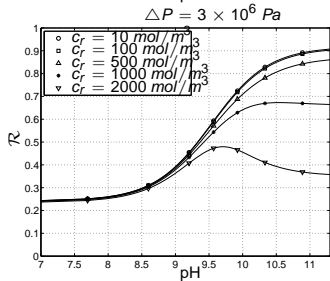
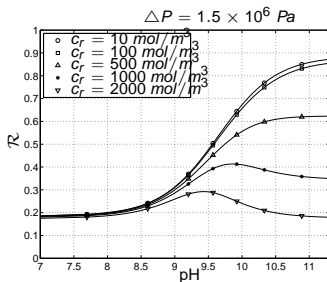
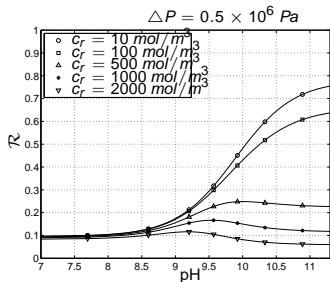
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## Summary

- The pH dependency of osmotic pressure has major role influencing separation.
- Altered form of van't Hoff law was delivered and experimentally confirmed.
- Special form of Kedem-Katchalsky equations was derived and numerical method applied to simulate rejection and flux behavior.
- Outlook
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# Citation index I



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